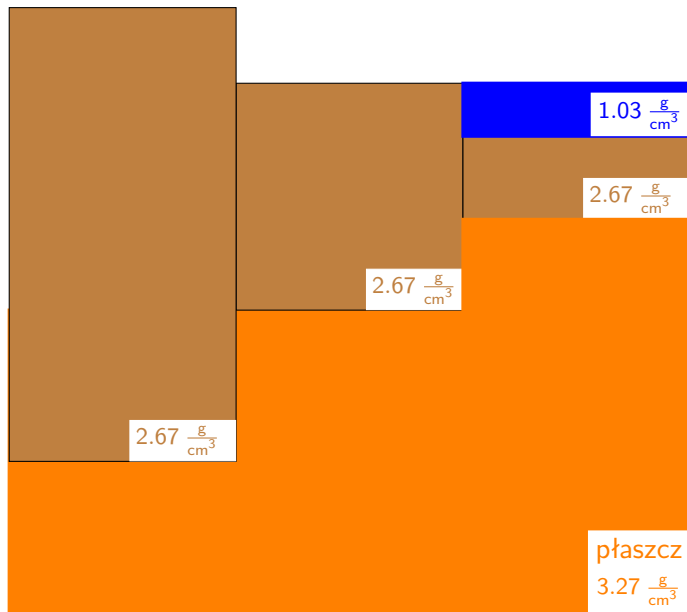
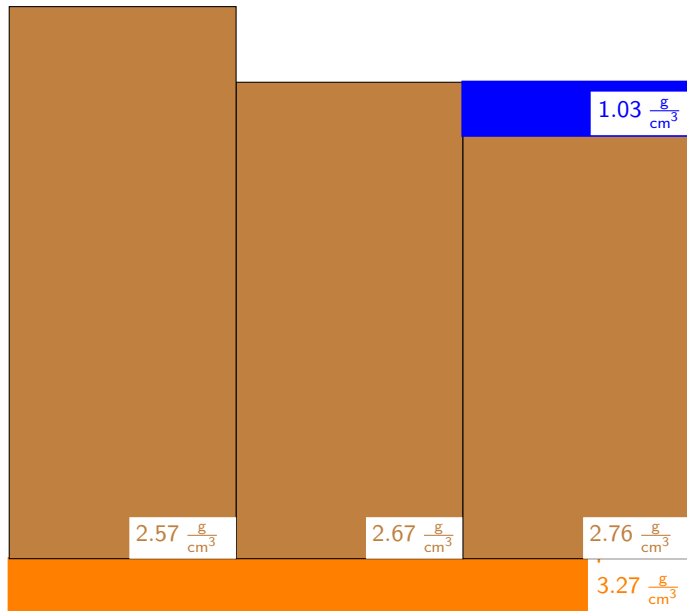


# Airy-Heiskenen



# Pratt-Hayford

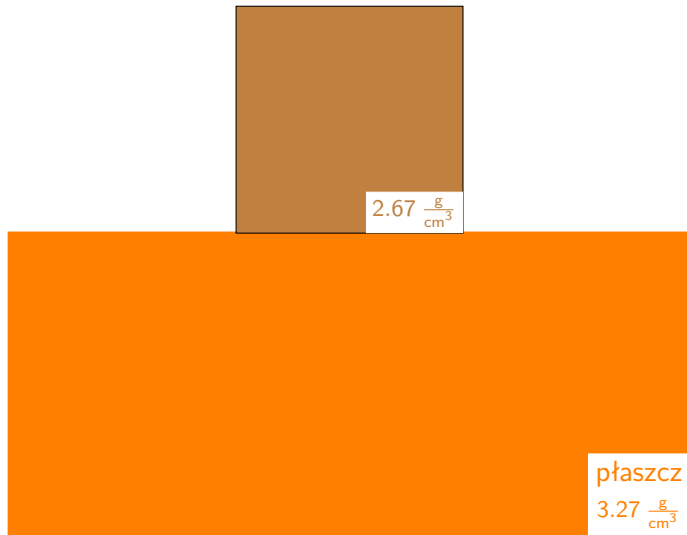


# Airy-Heiskanen

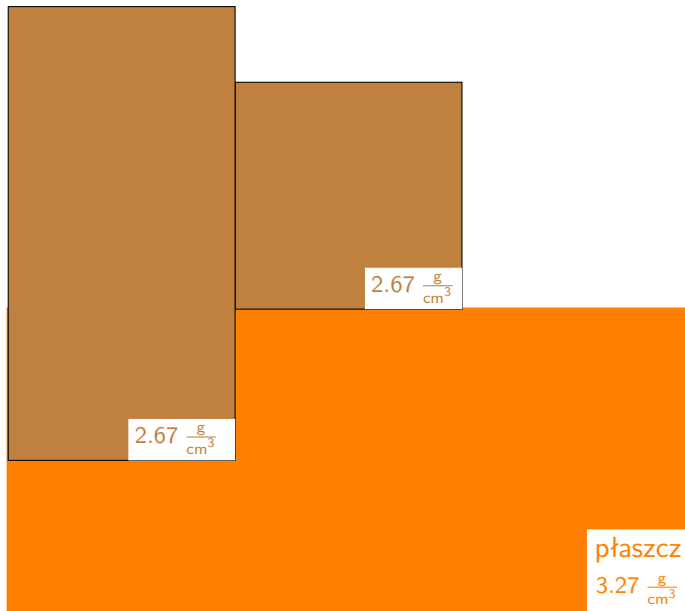
płaszcz

$3.27 \frac{\text{g}}{\text{cm}^3}$

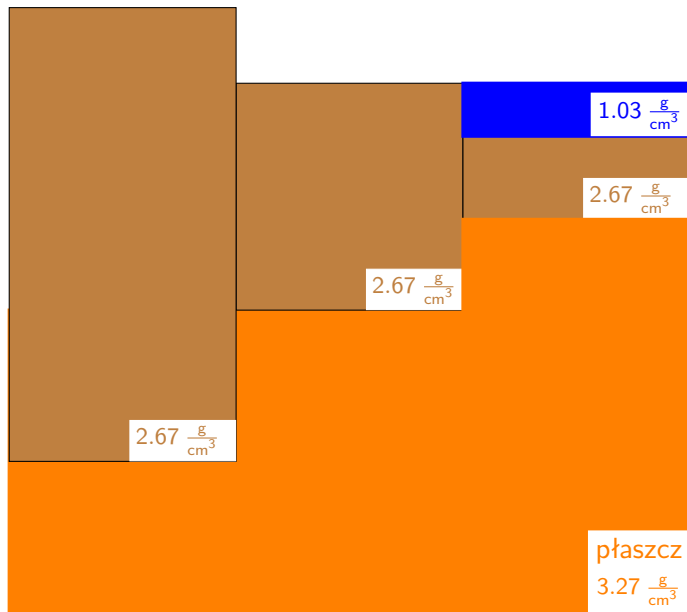
# Airy-Heiskenen



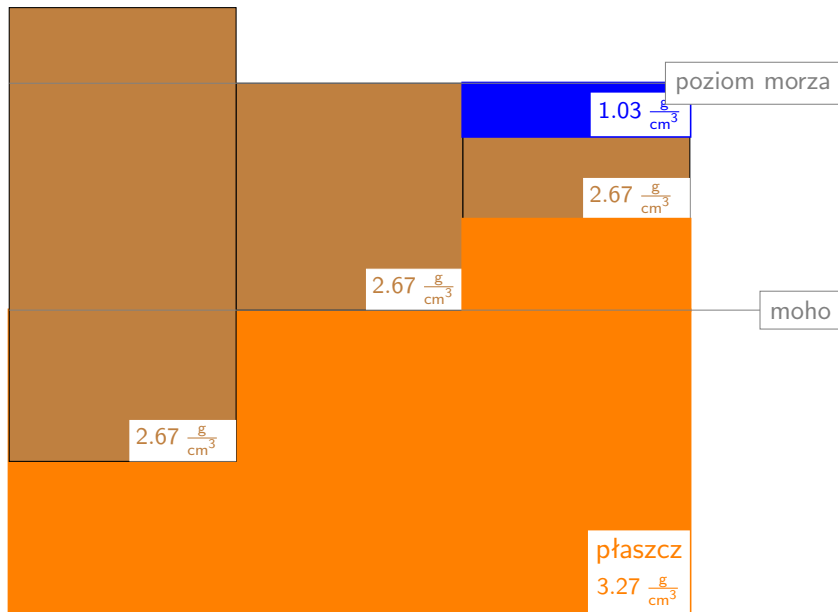
# Airy-Heiskenen



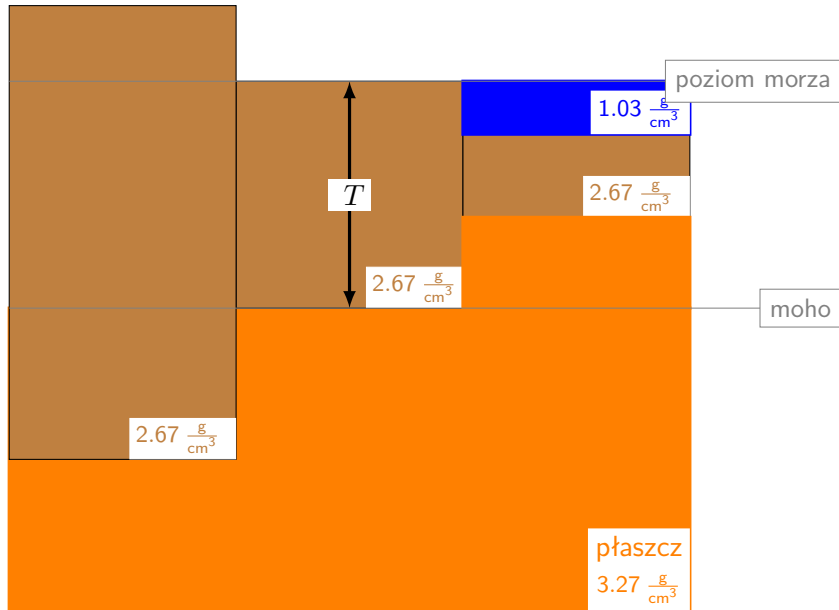
# Airy-Heiskenen



# Airy-Heiskanen

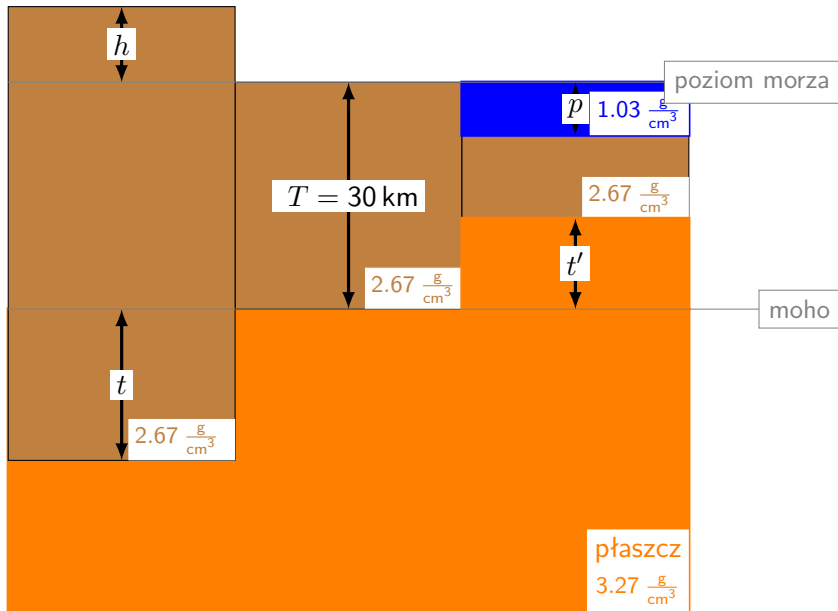


# Airy-Heiskanen

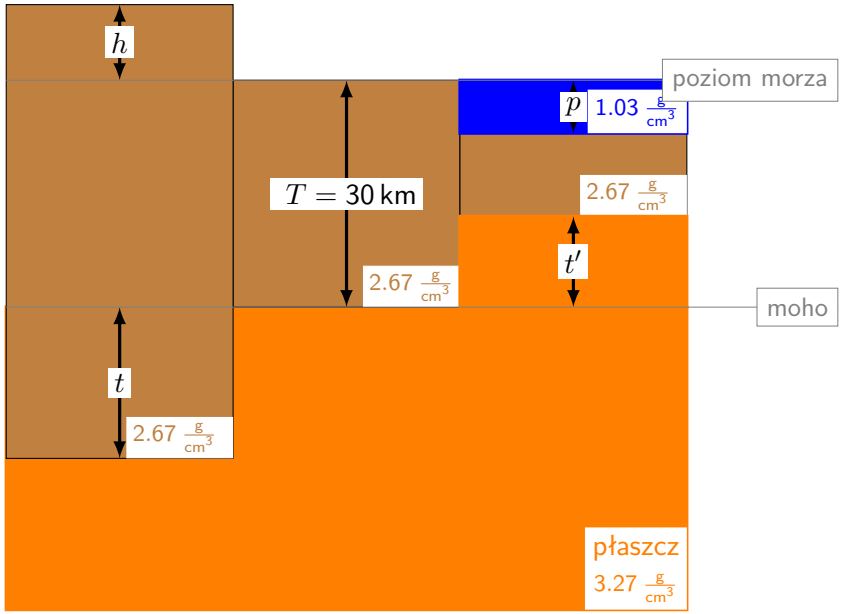




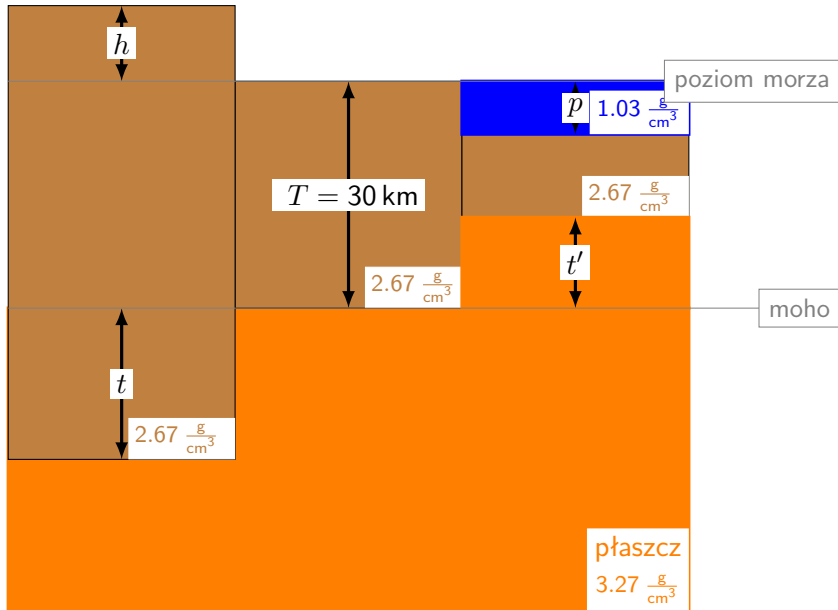
# Airy-Heiskenen



Jak głęboko musi być korzeń ( $t$ ) gór o wysokości ( $h$ ) 8 km?



Jak głęboko musi być anty-korzeń ( $t'$ ) dla oceanu o głębokości ( $p$ ) 10 km?



## Dla korzenia kontynentalnego

$$h \cdot \rho_c = (\rho_m - \rho_c) \cdot t$$

## Dla korzenia kontynentalnego

$$h \cdot \rho_c = (\rho_m - \rho_c) \cdot t$$

$$t = \frac{\rho_c}{(\rho_m - \rho_c)} \cdot h$$

## Dla korzenia kontynentalnego

$$h \cdot \rho_c = (\rho_m - \rho_c) \cdot t$$

$$t = \frac{\rho_c}{(\rho_m - \rho_c)} \cdot h$$

$$t = 4.45 \cdot h$$

## Dla anty-korzenia oceanicznego

$$p \cdot (\rho_c - \rho_w) = (\rho_m - \rho_c) \cdot t'$$

## Dla anty-korzenia oceanicznego

$$p \cdot (\rho_c - \rho_w) = (\rho_m - \rho_c) \cdot t'$$
$$t' = \frac{(\rho_c - \rho_w)}{(\rho_m - \rho_c)} \cdot p$$



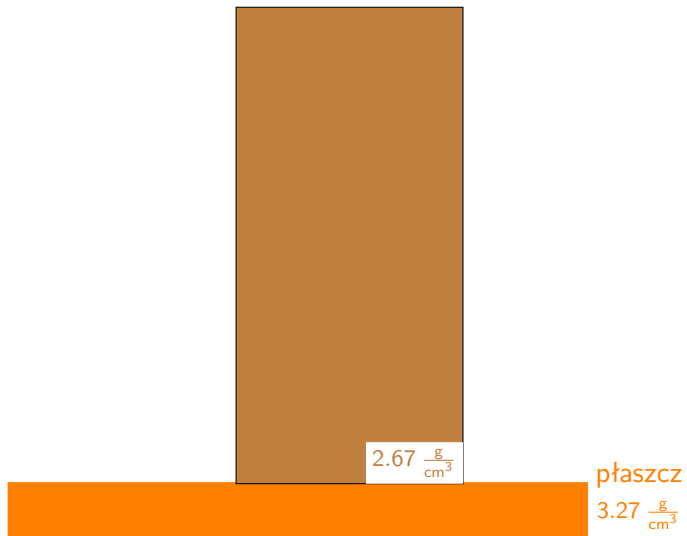
## Dla anty-korzenia oceanicznego

$$p \cdot (\rho_c - \rho_w) = (\rho_m - \rho_c) \cdot t'$$

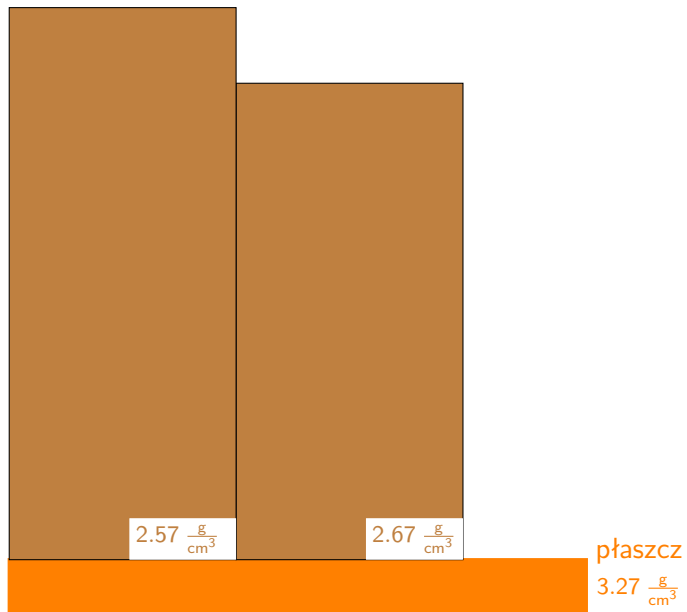
$$t' = \frac{(\rho_c - \rho_w)}{(\rho_m - \rho_c)} \cdot p$$

$$t' = 2.73 \cdot p$$

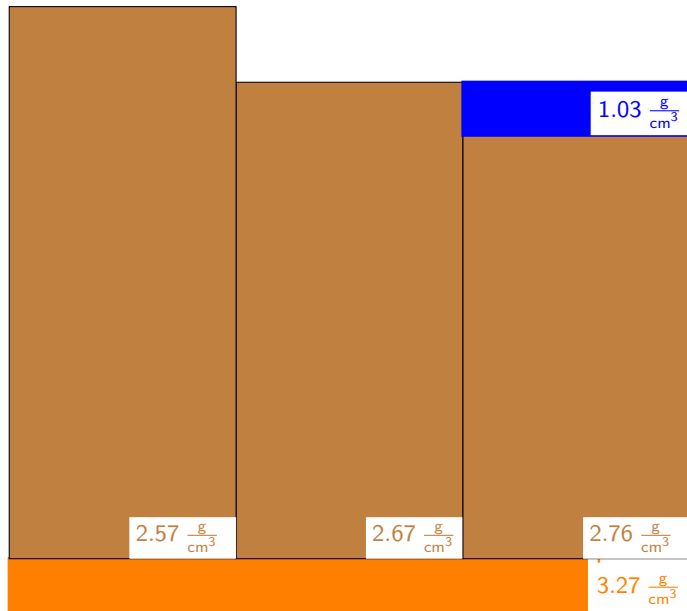
# Pratt-Hayford



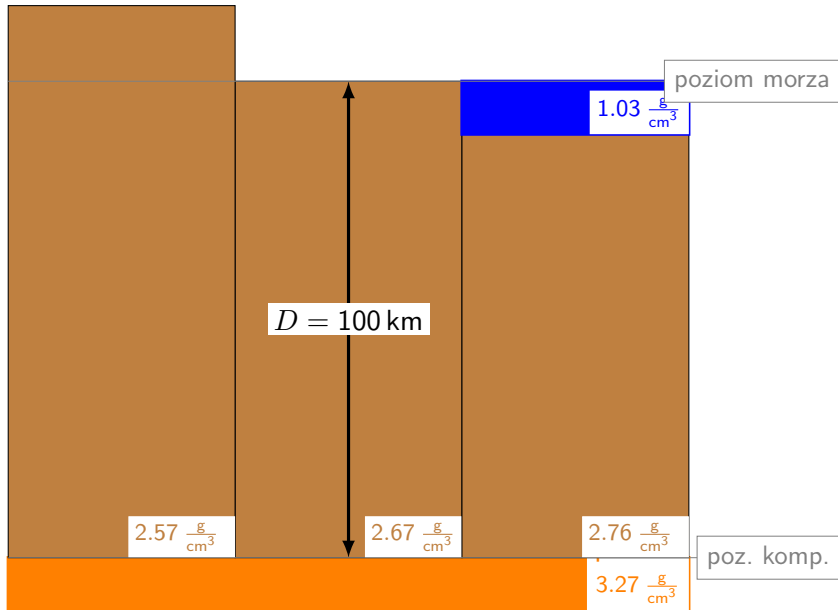
# Pratt-Hayford



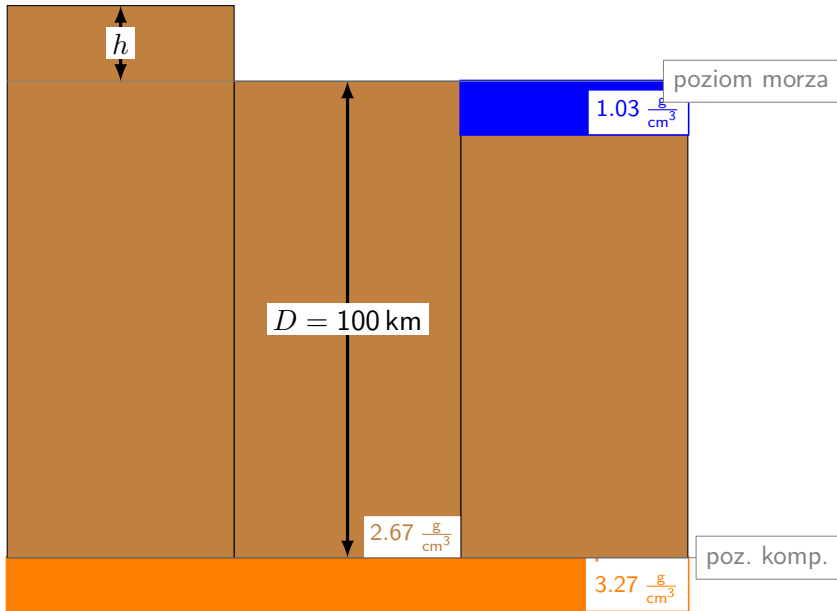
# Pratt-Hayford



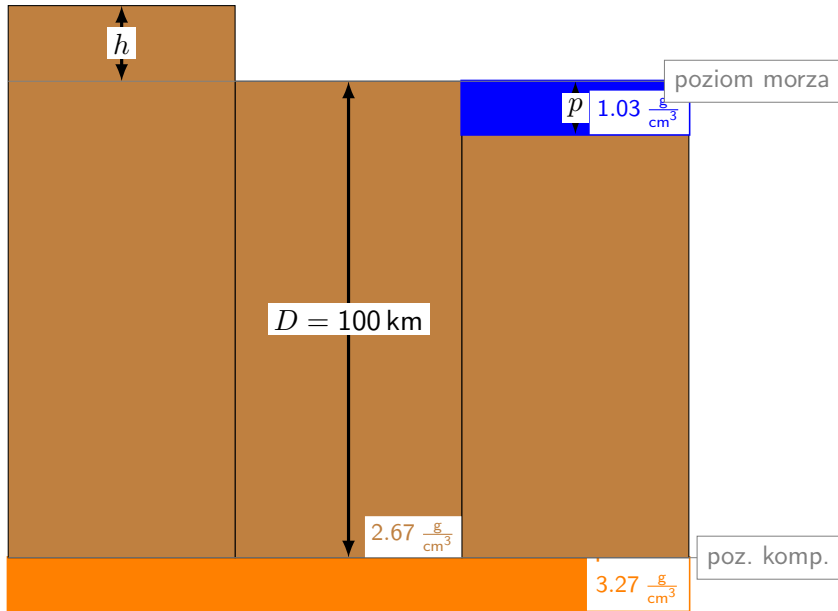
# Pratt-Hayford



Jak musi być gęstość bloku o grubości 8 km?



Jaka jest gęstość bloku oceanicznego o głębokości 10 km?



## Gęstość bloku kontynentalnego

$$(D + h) \cdot \rho = D \cdot \rho_c$$



## Gęstość bloku kontynentalnego

$$(D + h) \cdot \rho = D \cdot \rho_c$$

$$\rho = \rho_c \cdot \frac{D}{D + h}$$

## Gęstość bloku kontynentalnego

$$(D + h) \cdot \rho = D \cdot \rho_{\bar{c}}$$

$$\rho = \rho_{\bar{c}} \cdot \frac{D}{D + h}$$

$$\Delta\rho = -\rho_{\bar{c}} \cdot \frac{h}{D + h}$$

## Gęstość bloku oceanicznego

$$D \cdot \rho_{\bar{c}} = (D - p) \cdot \rho + p \cdot \rho_w$$

## Gęstość bloku oceanicznego

$$D \cdot \rho_{\bar{c}} = (D - p) \cdot \rho + p \cdot \rho_w$$

$$\rho = \frac{D\rho_{\bar{c}} - p\rho_w}{D - p}$$

## Gęstość bloku oceanicznego

$$D \cdot \rho_{\bar{c}} = (D - p) \cdot \rho + p \cdot \rho_w$$

$$\rho = \frac{D\rho_{\bar{c}} - p\rho_w}{D - p}$$

$$\Delta\rho = (\rho_{\bar{c}} - \rho_w) \frac{p}{D - p}$$